

Lösungen:

1	<p>Bitte lösen Sie die Gleichungssysteme</p> <p>a)</p> $-4,1(-2,2i + 5,7q) + 5,5(1,2i + 1,5q) + 6,6 = 100,082$ $9,8(-2i + 5,1q) + 4,6(-4,4i - 1,8q) + 4,3 = -245,42$ <p>L:</p> $+15,62i - 15,12q = 93,482$ $-39,84i + 41,7q = -249,72$ <p><b>i = 2,5;</b> <b>q = -3,6;</b></p> <p>b)</p> $8,56y - 8,66h = 13,3708$ $-1,21y + 8,82h = 9,8076$ <p>L:</p> <p><b>y = 3,12;</b> <b>h = 1,54;</b></p> <p>c)</p> $-\frac{5}{11}k - \frac{6}{7}t = -\frac{4}{77}$ $-\frac{17}{16}k - \frac{8}{3}t = -\frac{71}{126}$ <p>L :</p> $k = -\frac{8}{7};$ $t = \frac{2}{3}$
2	<p>Bitte berechnen Sie die genannten Unbekannten</p> <p>a)</p> $\frac{-7,3h - 8,5hr}{-6,5fw + 7,8vw} - 4,5s = 5,8x \quad [\text{h r w}]$ <p>L :</p> $h = \frac{-37,7fwx + 45,24vwx - 29,25fs + 35,1svw}{-7,3 - 8,5r}$ $r = \frac{-37,7fwx + 45,24vwx - 29,25fs + 35,1svw + 7,3h}{-8,5h}$ $w = \frac{7,3h + 8,5hr}{37,7fx - 45,24vx + 29,25fs - 35,1sv}$

b)

$$\frac{8,2bf + 5,2}{6,4ek - 1,1} - 3x = -10g \quad [f b e k]$$

L:

$$f = \frac{-64egk + 11g + 19,2ekx - 3,3x - 5,2}{8,2b}$$

$$b = \frac{-64egk + 11g + 19,2ekx - 3,3x - 5,2}{8,2f}$$

$$e = \frac{11g - 3,3x - 8,2bf - 5,2}{64gk - 19,2kx}$$

$$k = \frac{11g - 3,3x - 8,2bf - 5,2}{64eg - 19,2ex}$$

3

Bitte lösen Sie die Gleichungssysteme

a)

$$\begin{aligned} -1,6n - 7,6i + 2q &= -49,04 \\ 5,7n - 5i + 1,4q &= -13,92 \\ -1,4n + 7,8i - 4,6q &= 58,88 \end{aligned}$$

L:

$$\begin{aligned} n &= 2,8; \\ i &= 4,1; \\ q &= -6,7; \end{aligned}$$

b)

$$\frac{3}{7}r + \frac{1}{2}c + \frac{1}{3}u = -\frac{250}{63}$$

$$\frac{1}{5}r + c + \frac{5}{3}u = -\frac{166}{45}$$

$$-\frac{4}{7}r - c - \frac{2}{5}u = \frac{310}{63}$$

L:

$$r = -9;$$

$$c = \frac{8}{9};$$

$$u = -\frac{5}{3}$$

c)

$$\begin{aligned} z + 4c - 4a &= -5 \\ 4z - 5c - 5a &= 12 \\ 6z + 9c + 8a &= 17 \end{aligned}$$

L:

$$\begin{aligned} z &= 3; \\ c &= -1; \\ a &= 1; \end{aligned}$$

d)

$$- 7(8y - 3p) - 5(-6y - q) - 10(3p + 3q) + 6 = -276$$

$$5(-4y + 5p) + 7(5y - 9q) + 10(4p - 6q) + 2 = -427$$

$$- 4(-2y - 4p) - (-4y - 9q) + 7(-7p + 7q) - 10 = 371$$

L:

$$y = 9;$$

$$p = -3;$$

$$q = 3;$$